

# Mechanical Characterization and FEA Simulation of SLA-Printed 50A Materials using Hyperelastic Models

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OPTIMAL MODEL

## Ogden N=3

Accuracy & stability in balance

MASTER-CURVE FIT

**R<sup>2</sup> = 0.996**

Tension + compression unified

SLA ISOTROPY

**< 2 %**

Across 4 print orientations

HIGH-ORDER RISK

**N5-N6 X**

Violate Drucker → divergence

## 01 The challenge

Flexible architected materials — lattices, dampers, energy-absorbing midsoles — need a route that gives geometric precision *without* FDM's layer anisotropy, anisotropy, plus a law that predicts large-strain response reliably. Hyperelastic calibration hides a **stability-accuracy dilemma**: high-order fits look perfect yet diverge in 3D in 3D solvers. We resolve it for a Shore 50A SLA photopolymer using combined tension + compression compression data.

## 02 Materials & methods

- Specimen fabrication**  
Formlabs Form 3, Elastic 50A · 0.05 mm layers · IPA wash wash + 20 min UV cure @ 60 °C
- Mechanical characterisation**  
Tension (ISO 37, 12 dumbbells × 4 angles) + cyclic compression (ISO 7743, Type A)
- Constitutive modelling**  
Poly-6 master curve → calibrate Ogden, Polynomial & Van Polynomial & Van der Waals models
- FE simulation & validation**  
Abaqus, C3D8RH hybrid elements (~15k) — experiment vs experiment vs FEA against Drucker stability

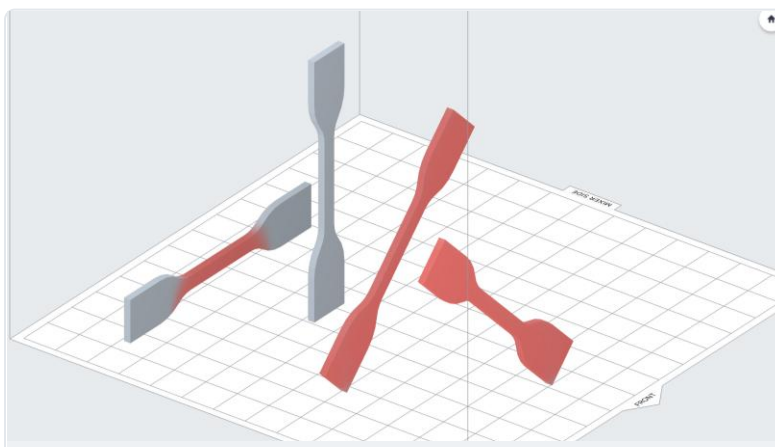


Fig. 1 Dumbbells printed at 0/45/90/135° to probe in-plane plane isotropy.

## 03 Experimental response

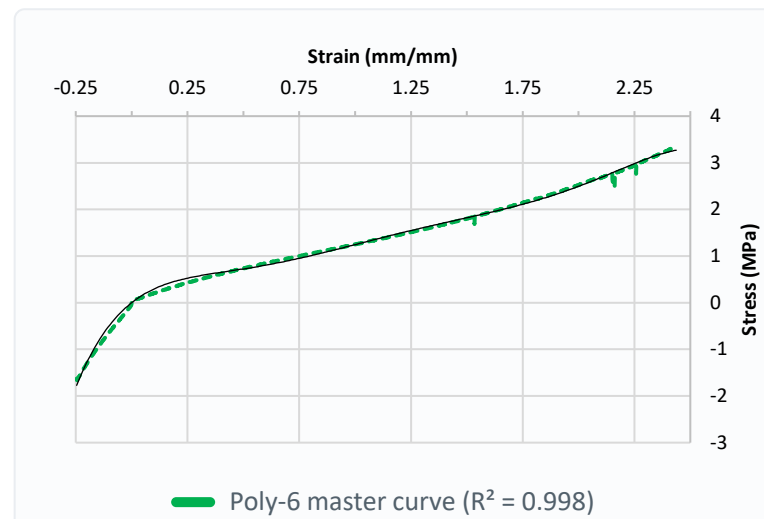


Fig. 2 Unified stress-strain master curve: a tensile toe + strain-hardening S-shape, and a convex compression branch.

- › **Near-isotropic**: peak tensile stress 2.7–3.4 MPa, elongation >2.1 elongation >2.1 mm/mm across all four angles.
- › **Stable damping**: cyclic compression settles by cycle 4 at 1.68 MPa peak with ~20% energy loss.

## 04 Constitutive model

The Ogden potential works in principal stretches  $\lambda_i$ , capturing the resin's non-linearity better than invariant-based models. For the near-incompressible resin the volumetric term vanishes ( $J = 1$ ):

$$W = \sum_{i=1}^3 \frac{\mu_i}{\alpha_i} (\lambda_1^{\alpha_i} + \lambda_2^{\alpha_i} + \lambda_3^{\alpha_i} - 3) + \sum_{i=1}^3 \frac{1}{D_i} (J - 1)^2$$

CALIBRATED OGDEN N=3 PARAMETERS

$\mu_1 / \alpha_1$	$\mu_2 / \alpha_2$	$\mu_3 / \alpha_3$
-8.51 / -3.08	3e-7 / 13.84	9.57 / -3.48
-3.08		

CYCLIC CONDITIONING MECHANISM

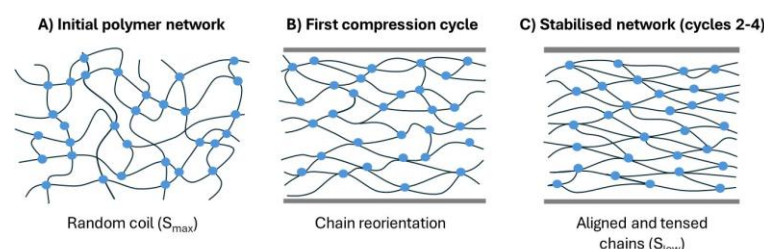


Fig. 5 Instead of Mullins softening, the network reorients and tenses over cycle 1, giving slight cyclic hardening to a stable steady state.

## 05 Stability-accuracy trade-off

On the unified master curve the dilemma is explicit: low-order order models are too stiff, and the lowest-RMSE high-order fits are order fits are physically unstable.

Model	RMSE	R <sup>2</sup>	FEA
Polynomial N1	0.427	0.846	too stiff
Ogden N1	0.222	0.958	too stiff
<b>Ogden N3 ★</b>	<b>0.068</b>	<b>0.996</b>	<b>stable ✓</b>
Ogden N6	0.048	0.998	unstable X

Lowest RMSE (N6) ≠ best model. Mooney-Rivlin was discarded — — unstable in all regimes.

## 06 FEA validation

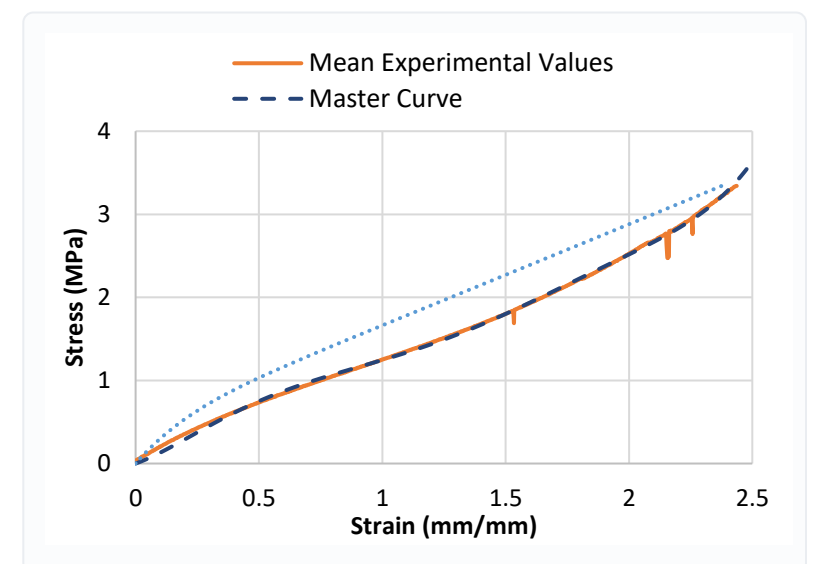


Fig. 3 N6 develops a non-physical oscillation near  $\epsilon \approx -0.25$ ; N3 stays monotonic and slightly conservative.

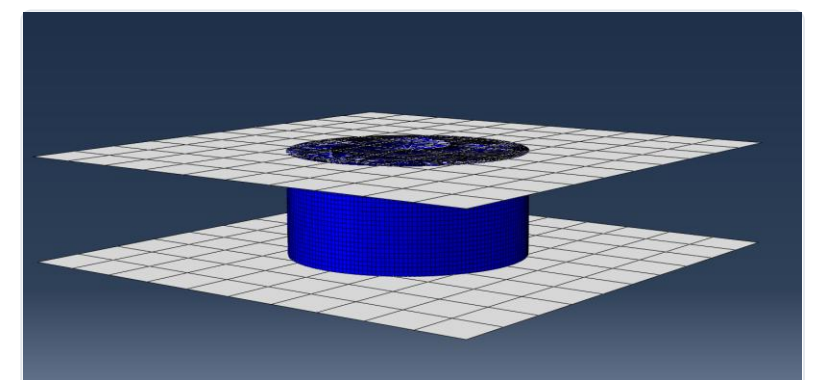


Fig. 4 Abaqus digital twin: cylinder (C3D8RH) between rigid platens, platens, reproducing barrelling.

## 07 Conclusion

SLA delivers a **near-isotropic** Shore 50A elastomer modellable with classical hyperelastic potentials. Among them **Ogden N=3** is definitive: it reproduces the low-stiffness toe region and stiffness toe region and ultimate strain-hardening S-curve *and* satisfies Drucker stability — the accuracy of high-order fits without their divergence. This makes it the reliable basis for large-reliable basis for large-deformation FEA of energy-absorbing lattices and auxetic structures.

